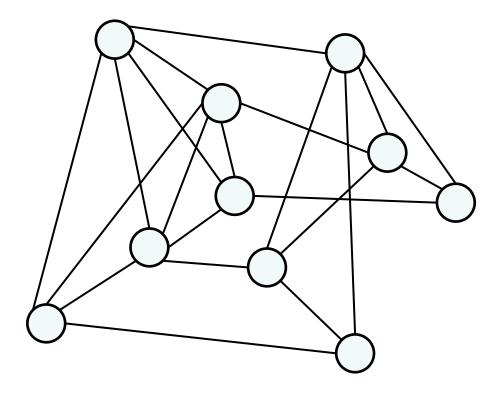
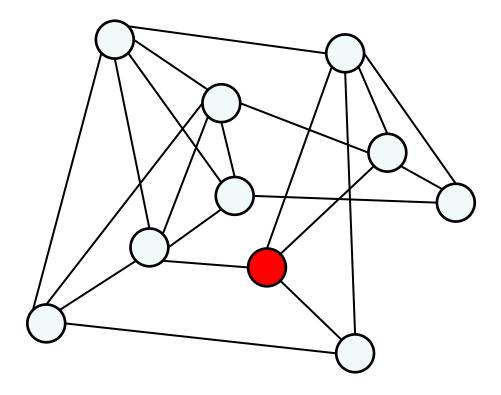
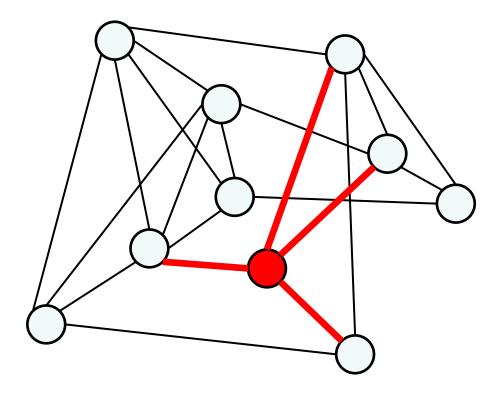
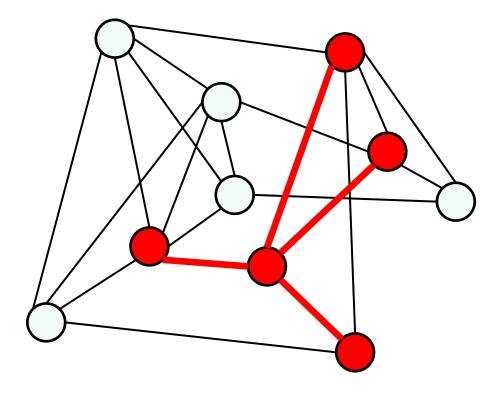
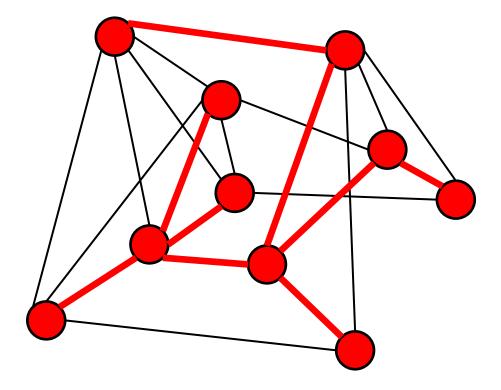
# Distributed Algorithms: A Simple Example

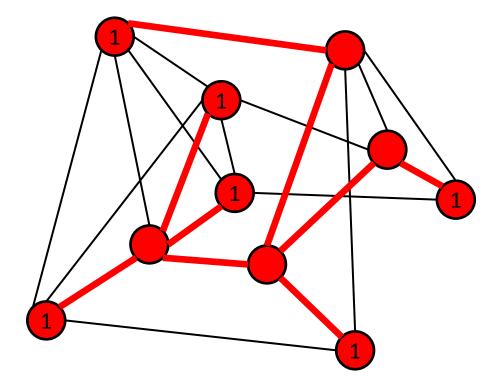


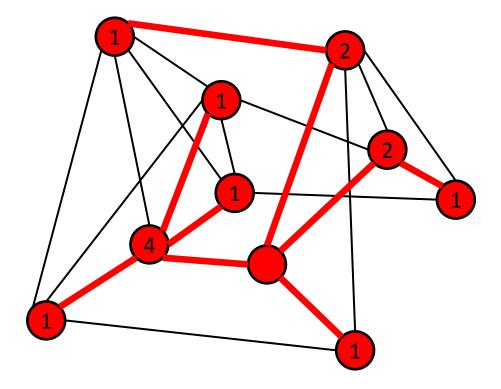


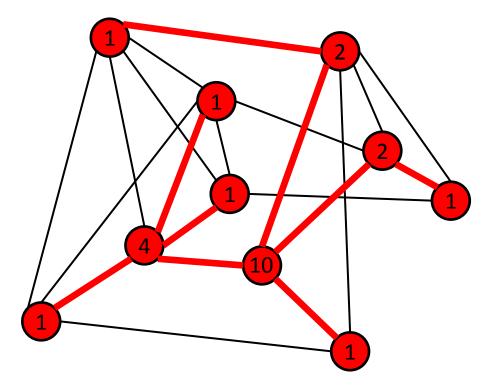






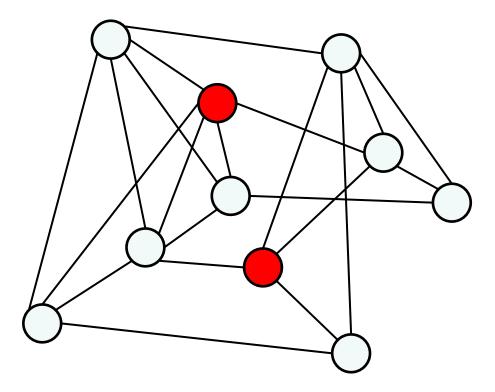






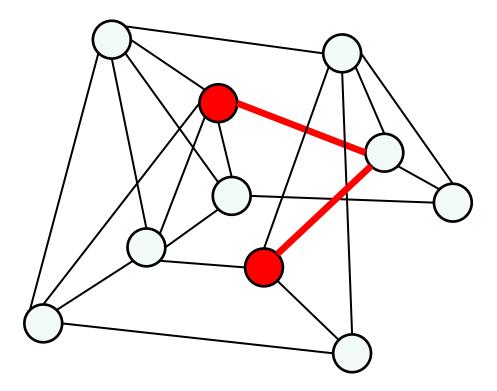
With a simple flooding/echo process, a network can find the number of nodes in time O(D), where D is the diameter (size) of the network.

### Diameter (Size) of Network?



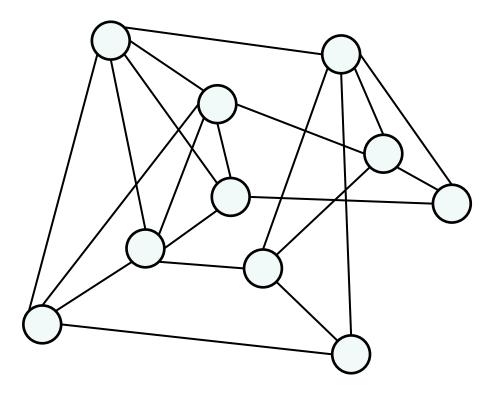
• **Distance** between two nodes = Number of hops of shortest path

#### Diameter (Size) of Network?

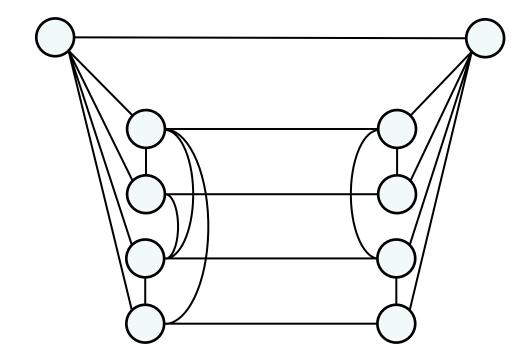


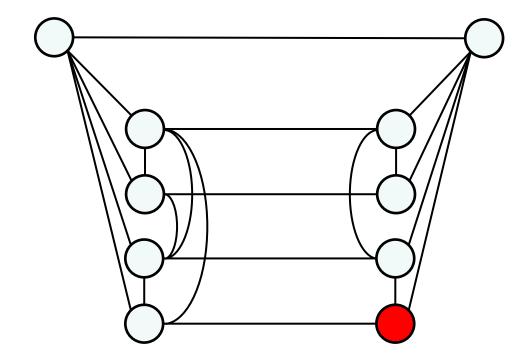
• **Distance** between two nodes = Number of hops of shortest path

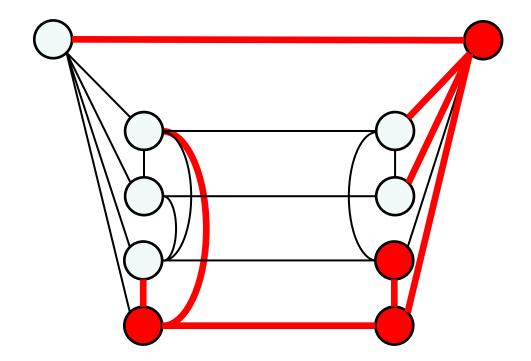
### Diameter (Size) of Network?

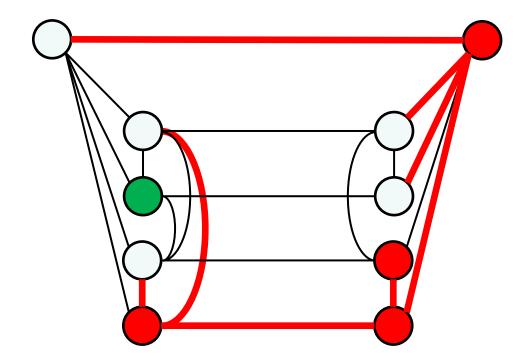


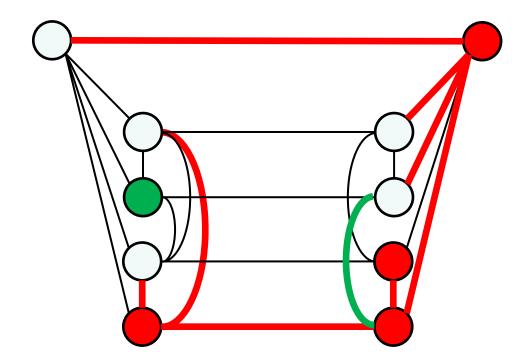
- **Distance** between two nodes = Number of hops of shortest path
- **Diameter** of network = Maximum distance, between any two nodes

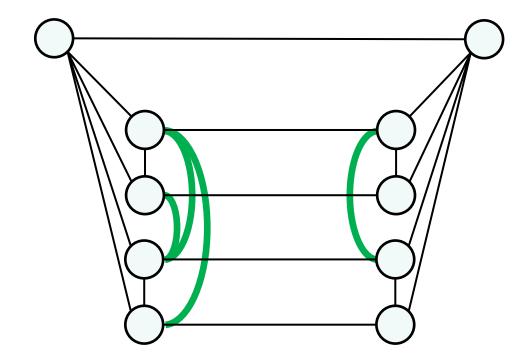


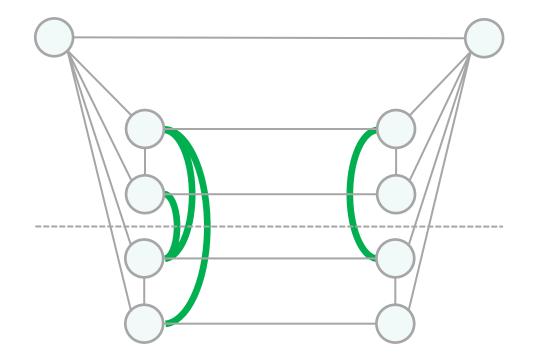


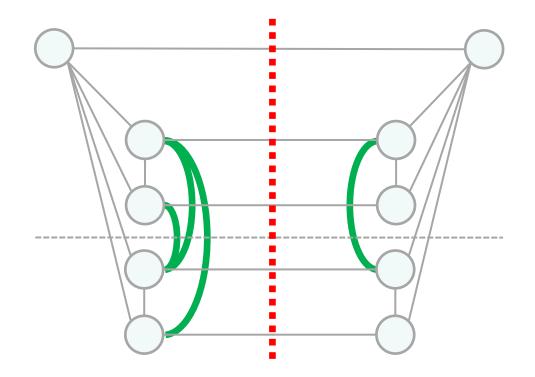




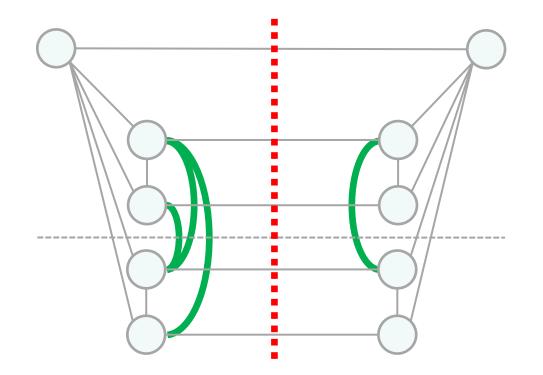








(even if diameter is just a small constant)



Pair of nodes not connected on both sides? We have  $\Theta(n^2)$  information that has to be transmitted over O(n) edges, which takes  $\Omega(n)$  time!

[Frischknecht, Holzer, W, 2012]