

Multi-Core Computing with Transactional Memory

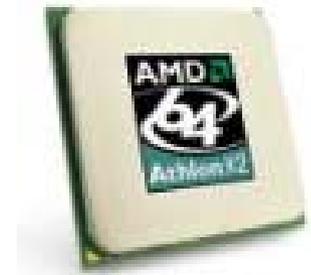


Overview

- Introduction
- Difficulties with parallel (multi-core) programming
- A (partial) solution: Transactional Memory
- Contention Management

Multi-cores will be everywhere

- To increase computing speed, traditionally the clock speed of a CPU was increased
 - Problem: Overheating
- New approach: Have many cores on a single die
- Multi-core chips are used in every PC and soon in every mobile phone
- It is likely that we see a doubling of cores every 2 years like we saw a doubling of clock speed
- BUT: Parallel programming brings new problems and adds complexity for software engineers



Why is parallel programming more difficult?

- We need synchronization...
 - Parallel reservation system for cinema tickets without synchronization

Time	Thread 1 - Return 5 tickets	n = Number of sold tickets	Thread 2 - Buy 3 tickets
0		100	
1	Read n (Return 100)	100	
2		100	Read n (Return 100)
3	New value for n: $100-5=95$ Set n to 95	95	
4		103	New value for n: $100+3=103$ Set n to 103

Two kinds of parallelism

- Data parallelism
 - different data for each thread (running on a core)
 - every core works separately
 - No overlapping, no problem!
 - Ex.: Each thread sorts a given set of data unknown to other threads
- Task parallelism
 - several tasks working on same/overlapping data
 - Ex.: All threads insert/delete elements in the same tree

Concurrent programming today

- Synchronization using locks or monitors
 - Locks implemented via test-and-set or compare and swap operations
 - Monitor : Mutual exclusion
 - e.g. java “synchronized method”
 - Easy but slow -> only 1 thread runs at a time
- Coarse grained vs. fine grained locking
 - easy but slow program difficult, cumbersome but fast programs
 - Little(no) parallelism lots of code, deadlocks...

lock all data
modify/use data
unlock all data

Only 1 thread can operate on the data

lock Element A
lock Element B
modify/use A,B
lock Element C
modify/use A,B,C
unlock A
modify/use B,C
unlock B,C

lock Element B
lock Element A
modify/use A,B
unlock A,B

Deadlock possible: Thread 1 locks A, while Thread 2 locks B, then both are stuck...

Example: Deleting an element from a linked list

- Sequential code/Coarse grained locking
 - < 10 lines of code
- Concurrent linked list: See below...

The `List::delete` method attempts to remove a node containing the supplied `key`.

```
public boolean List::delete (KeyType search_key) {
    Node *right_node, *right_node_next, *left_node;

    do {
        right_node = search (search_key, &left_node);
        if ((right_node == tail) || (right_node.key != search_key)) /*T1*/
            return false;
        right_node_next = right_node.next;
        if (!is_marked_reference(right_node_next))
            if (CAS (&(right_node.next), /*C3*/
                    right_node_next, get_marked_reference (right_node_next)))
                break;
    } while (true); /*B4*/
    if (!CAS (&(left_node.next), right_node, right_node_next)) /*C4*/
        right_node = search (right_node.key, &left_node);
    return true;
}
```

```
private Node *List::search (KeyType search_key, Node **left_node) {
    Node *left_node_next, *right_node;

    search_again:
    do {
        Node *t = head;
        Node *t_next = head.next;

        /* 1: Find left_node and right_node */
        do {
            if (!is_marked_reference(t_next)) {
                (*left_node) = t;
                left_node_next = t_next;
            }
            t = get_unmarked_reference(t_next);
            if (t == tail) break;
            t_next = t.next;
        } while (is_marked_reference(t_next) || (t.key < search_key)); /*B1*/
        right_node = t;

        /* 2: Check nodes are adjacent */
        if (left_node_next == right_node)
            if ((right_node != tail) && is_marked_reference(right_node.next))
                goto search_again; /*G1*/
            else
                return right_node; /*R1*/

        /* 3: Remove one or more marked nodes */
        if (CAS (&(left_node.next), left_node_next, right_node)) /*C1*/
            if ((right_node != tail) && is_marked_reference(right_node.next))
                goto search_again; /*G2*/
            else
                return right_node; /*R2*/
    } while (true); /*B2*/
}
```

More problems with locking - Composability

- How to compose objects/components using locks
- If locks are external then programmer must handle locking himself
 - cumbersome(lots of code), error-prone (deadlocks)
- If locks are internal then it is not possible to achieve all desired behaviors
 - Example: Hash table T1 (contains number 1) and T2 (empty)
No duplicates, each element unique
2 threads moving elements between tables

```
Algorithm Move(Element e, Table from, Table to)
if from.find(e) then
    to.insert(e)
    from.delete(e)
end if
```

Example continued...

- Threads might be delayed for some reasons: interrupts, cache miss...

	Table T1 contains 1 and T2 is empty	
Time	Thread 1	Thread 2
	Move(1,T1,T2)	Move(1,T2,T1)
1	T1.find(1)	delayed
2	T2.insert(1)	
3	delayed	T2.find(1)
4		T1.insert(1)
5	T1.delete(1)	T2.delete(1)
	both T1 and T2 are empty	

- Where is the '1'?

Transactional memory(TM) - a (partial) solution

- Simple for the programmer

```
Begin transaction  
modify/use data  
End transaction
```

- Composable

```
Algorithm Move(Element e, Table from, Table to)  
Begin Transaction  
if from.find(e) then  
    ...  
End Transaction
```

```
Method Table.find(Element e)  
Begin transaction  
    ...  
End transaction
```

- Many TM systems (internally) still use locks
- But the TM system (not the programmer) cares about
 - Performance
 - Progress/correctness (no deadlocks...)

What is a transaction?

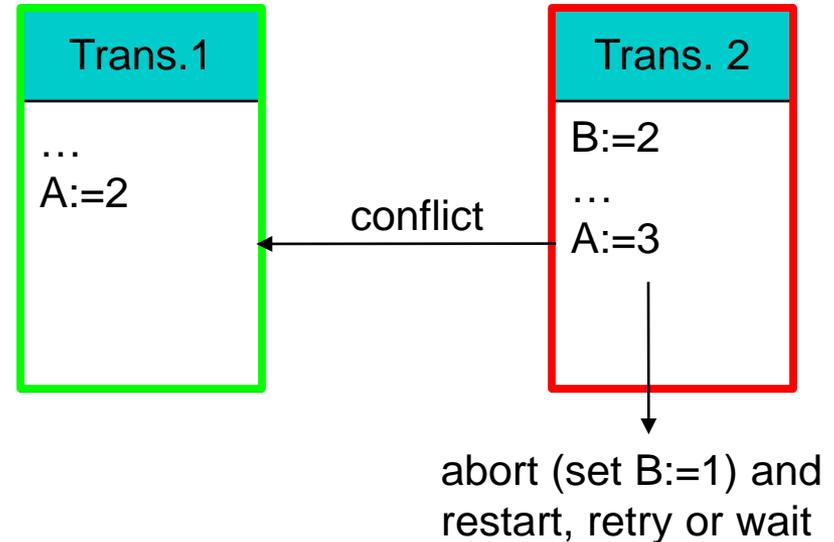
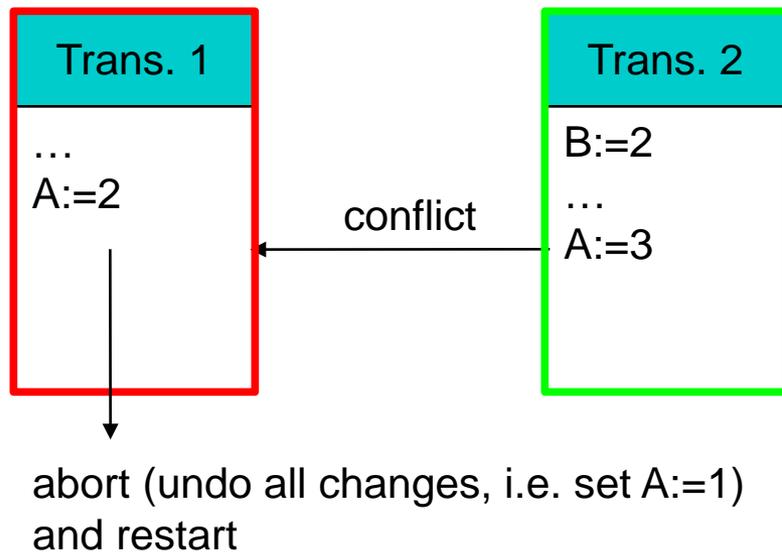
- Nothing new, has been used in databases for a long time
- Characterized by 3 properties (ACI)
 - Atomicity
 - Either a transaction finishes all its operations or no operation has an effect on the system
 - Consistency
 - All objects are in a valid state before and after the transaction
 - Isolation
 - A transaction cannot access or see data in an intermediate (possibly invalid) state of any parallel running transactions.
- For databases also durability
 - If a transaction has completed, its changes are permanent
 - Written on a disk not just in memory

Implementation of a TM system

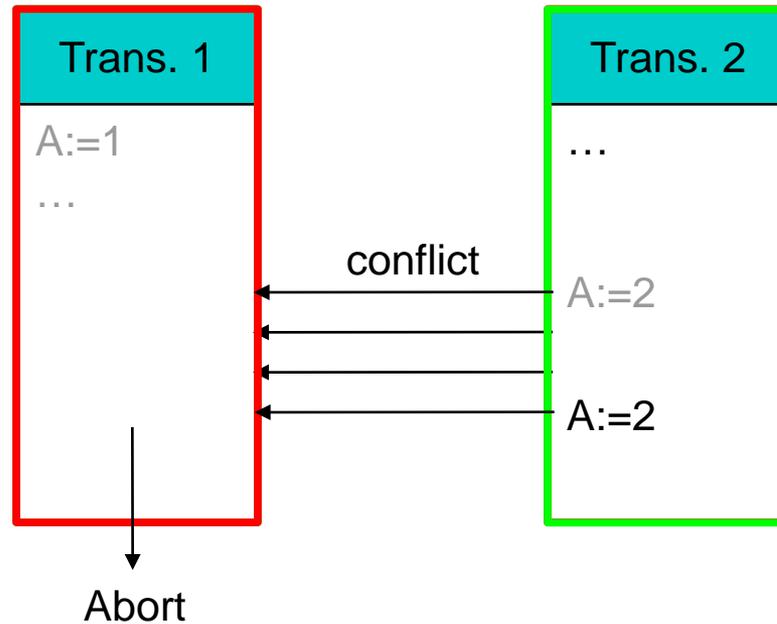
- Systems exist in hardware, software and as a mix (hybrid)
- (Usually) transactions are executed optimistically
 - i.e. without knowing whether they use the same data
- If transactions work on
 - different data, everything is ok
 - modify the same data, conflicts arise that must be resolved...
 - Transactions might get delayed (has to wait) or aborted.
- A transaction keeps track of all modified values and restores all values, if it is aborted due to a conflict.
- A transaction successfully finishes with a commit
 - Only after the commit, other transactions notice its changes.

Conflicts – A contention manager decides

- A contention manager can abort or delay a transaction
- Important impact on performance
- Example
 - Initially: $A=1, B=1$



Just another example of a contention manager

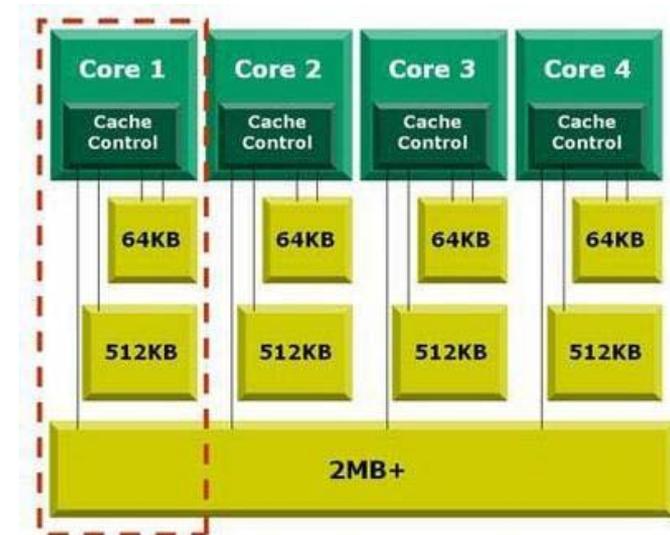


Why is TM only a partial solution? – Open issues

- I/O support
 - Imagine a document is printed within a transaction and the transaction gets aborted => waste of paper
- Interaction with old, non-transactional (legacy) code
- Efficiency
 - TM still too slow, but catching up quickly...
- Despite the problems:
 - TM system already on the market, partially supporting hardware TM
 - many software TM libraries exist

Open issues from a research perspective

- Why research?
 - Help understanding to improve efficiency
 - create (provable) secure systems
- System model not sufficient
 - PRAM: assumes threads are synchronous only read/write access to memory (e.g. no test and set)
no multilevel caching
- How to resolve conflicts?
 - What is the 'best' contention manager?



Some theory on contention management

- Model: n transactions (and threads) starting concurrently on n cores
- S (shared) resources (variables/objects)
- Transaction = sequence of operations
- Operation:
 - takes 1 time unit
 - 2 kinds: Write, compute/abort/commit
 - Write = modify (shared) resource and lock it until commit
- A conflict arises if transaction A wants to lock a resource that is already locked by B

Model continued...

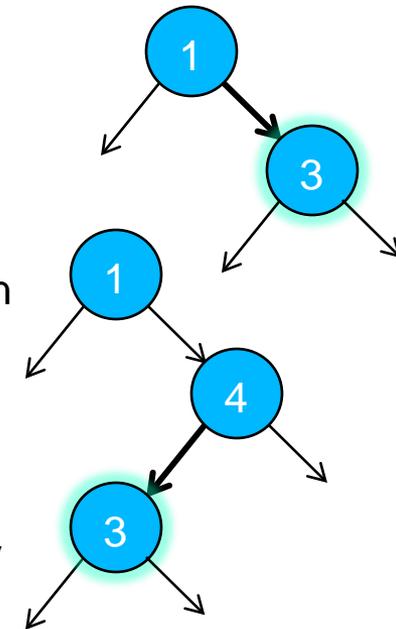
- A transaction demands unknown resources
 - Dynamic data structures change over time
 - Eg.: Binary tree, a transaction wants to insert 3

Initially: Must lock/modify right pointer of node 1

Assume transaction got aborted and another transaction inserted 4 meanwhile.

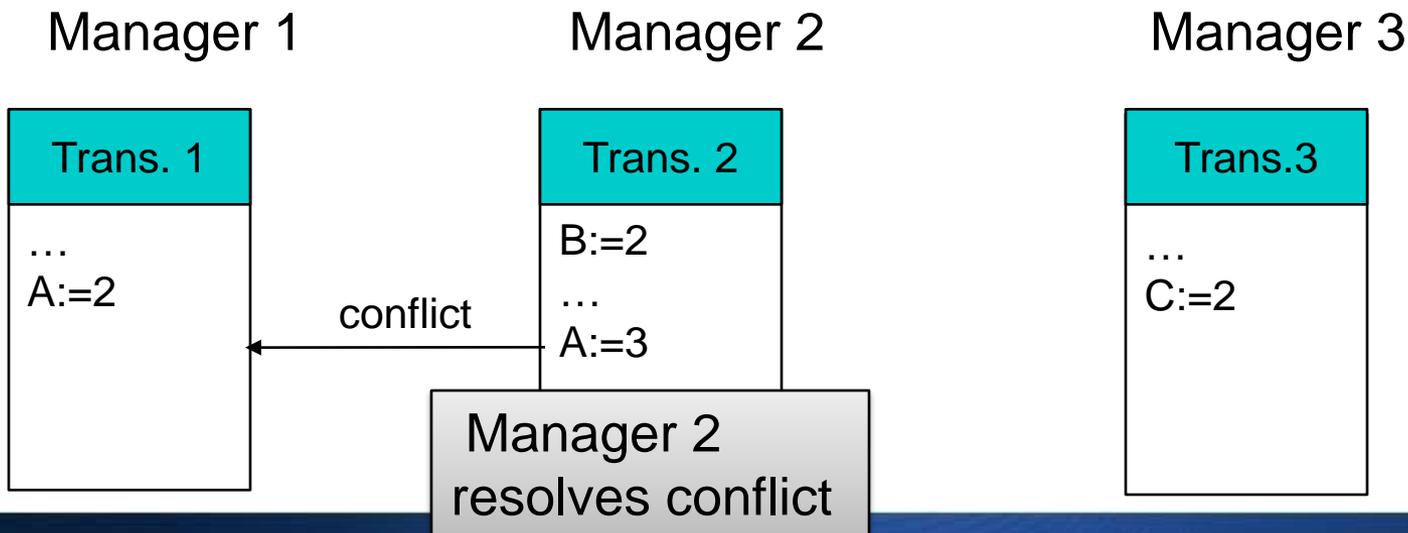
Now: Must lock/modify left pointer of node 4

- Duration(number of operations) is fixed
 - Not true, but mostly only a constant factor away
- Model is a simplification
 - Ex.: There are also reads
 - Ex.: a write access, does not always require a resource to be locked



Contention manager (CM)

- Distributed
 - Each thread has its own manager
- Does not know future(potential) conflicts
 - Conflicts also not learnable, might change
 - Online scheduling problem

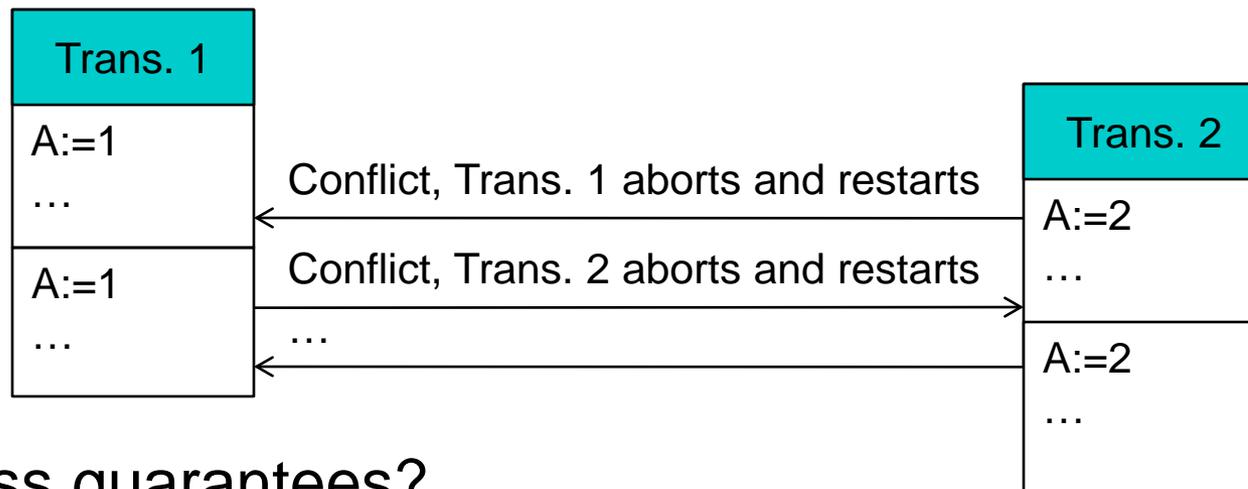


Properties of a contention manager

- **Throughput**
 - Makespan = How long it takes until all n transactions committed = length of a schedule
 - Schedule of transactions defined by decisions of CM
 - Look at worst case
 - Competitive ratio = makespan my CM / makespan optimal CM
 - Oblivious adversary = knows my CM (not random choices)
 - Optimal CM knows decisions of adversary and all conflicts...
- **Progress guarantees**
 - wait freedom (strongest guarantee)
 - all threads(transactions) make progress in a finite number of steps
 - lock freedom
 - one thread makes progress in a finite number of steps
 - obstruction freedom (weakest)
 - a thread makes progress in a finite number of steps in absence of contention (no conflicts, no shared data)

Example of a CM

- Strategy: Be aggressive
 - If a transaction A wants a resource locked by B, then B is aborted
- Throughput?
 - (Possibly) none
 - Livelock: Transactions repeatedly abort each other
 - Eg: 2 Transactions that write/lock the same resource

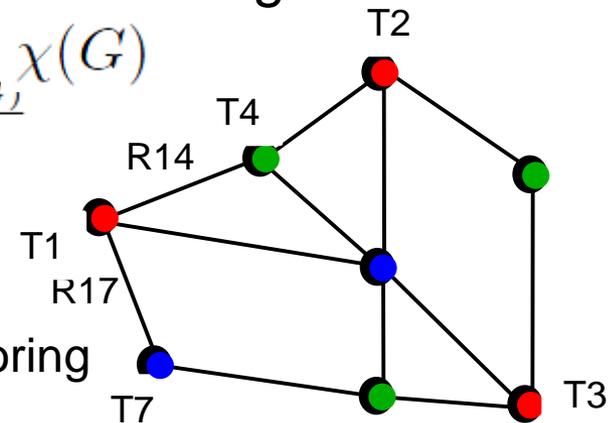


- Progress guarantees?
 - Obstruction freedom

Problem complexity, it is (NP) hard...

- How long does it take to compute a good schedule?
 - = Is it NP-hard to approximate the optimal makespan by a constant factor?
- ...as long as approximating an optimal vertex coloring
 - Optimal = Minimum number of colors =
 - NP-hard to compute a coloring with $\chi(G) \frac{\log \chi(G)}{25}$

$$\chi(G) \frac{\log \chi(G)}{25}$$



Reduction to coloring

- Graph -> Scheduling problem -> Schedule -> Coloring
- Nodes = transactions
- Edges = resources (conflicts)
- Transactions have same duration t (=1)
- Transactions of same color don't conflict

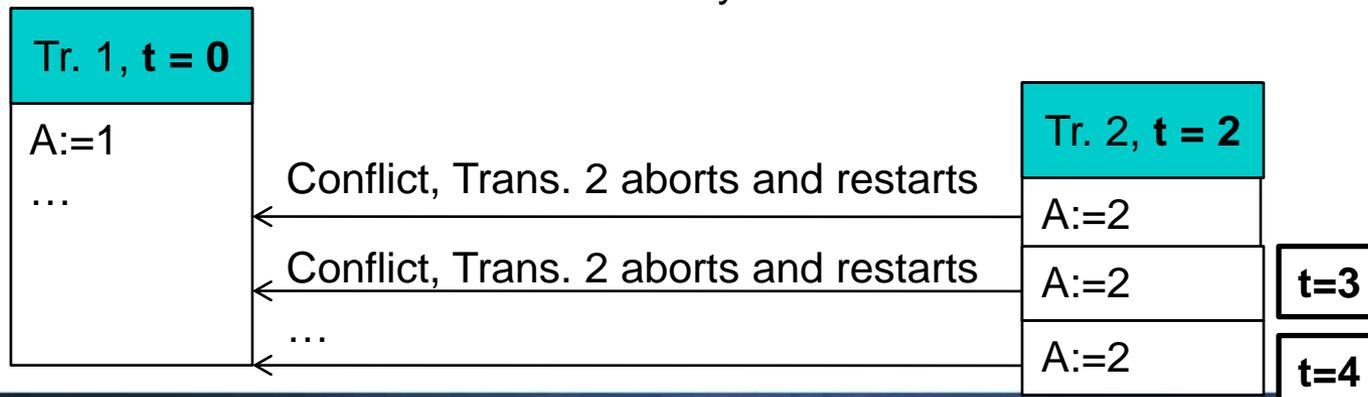
Time	[0,t]	[t,2t]	[2t,3t]
Trans. Run&commit	T1,T2,T3	T4,T5,T6	T7,T8

if resource acquisition takes almost no time, otherwise more complex

- This holds even, if all transactions (potential) conflicts are known and transactions don't change

It is hard, so what can be done? Another example...

- **CM Strategy: Avoid wasting work**
 - Approximate the work done
 - Each transaction gets a (unique) timestamp t on startup (and after an abort)
 - Conflict: The younger transaction, having performed less work, is aborted
- **Throughput? Progress guarantees?**
 - Oldest transaction will always commit
 - Lock freedom
 - At least one out of n cores successfully executes a transaction

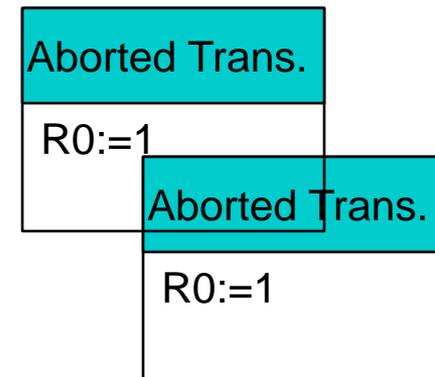
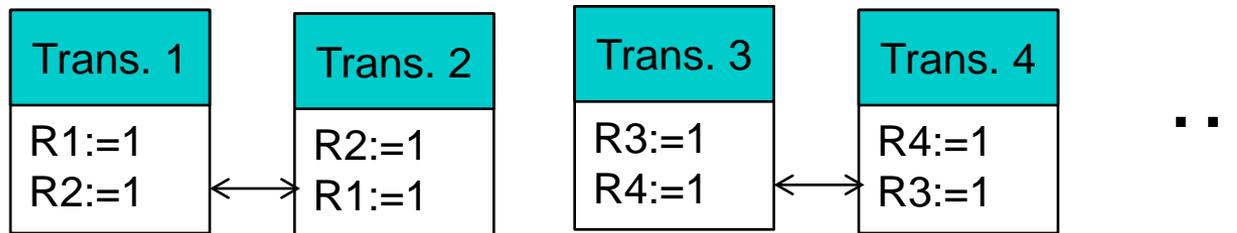


Competitive ratio of the time stamp manager

- S resources
- n transactions that start concurrently
- Assume each transaction T_i locks a resource directly after its start for its whole duration t_{T_i}
- Observe: At most S transactions can run in parallel
 - If $S+1$ run in parallel at least 2 must attempt to lock the same resource
- Thus the optimal makespan is at least: $\sum_{i=0}^n \frac{t_{T_i}}{s}$.
- Makespan CM timestamp is at most: $\sum_{i=0}^n t_{T_i}$
 - all run sequentially in the worst case
- Competitive ratio = timestamp/ optimal $\frac{\sum_{i=0}^n t_{T_i}}{\sum_{i=0}^n \frac{t_{T_i}}{s}} = s = \Omega(s)$

Lower bound on competitive ratio

- Thm: Competitive ratio of any CM (deterministic and randomized) is $\Omega(n)$ if number of resources $S \geq n$
- Proof (only for deterministic CM)

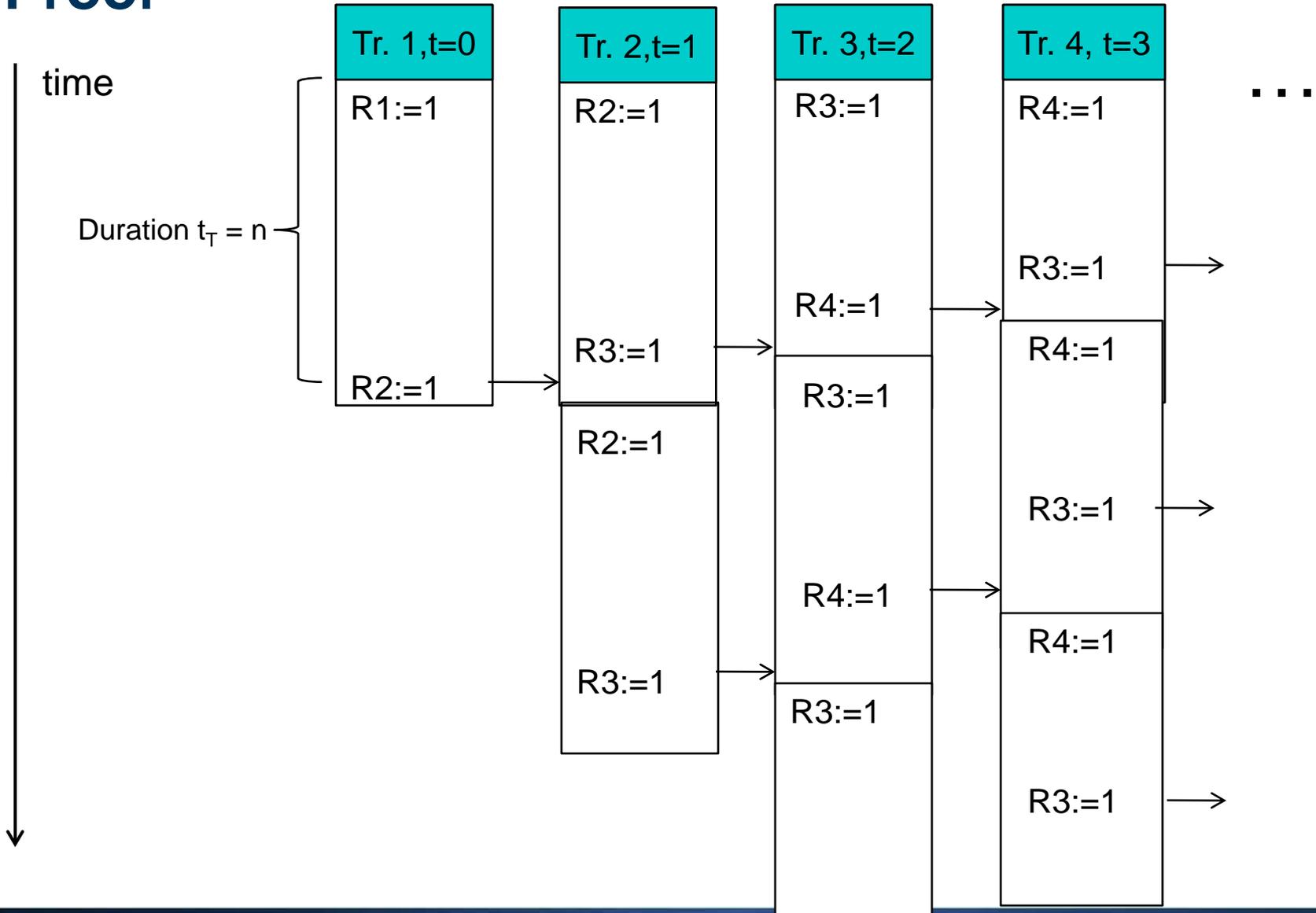


- Any CM must abort $\frac{1}{2}$ of all transactions S_T , say S_A
- Adversary knows the aborted trans. S_A
- She/he lets all of them lock the same resource R_0
- All aborted transaction ($\frac{1}{2} n$) must run sequentially
- Optimal lets all transactions S_A commit and aborts the other $\frac{1}{2}$

Analysis of algorithm timestamp revisited

- For the lower bound the adversary reduced the parallelism dramatically
 - This is unlikely to happen
- Assume the demanded resources don't change over time
 - i.e. the adversary cannot reduce parallelism at run-time
- Is the competitive ratio still $\Omega(n)$ (for $S \geq n$)?
 - Yes (proof next slide)
 - All transactions start concurrently
 - Adversary knows timestamps of all transactions

Proof

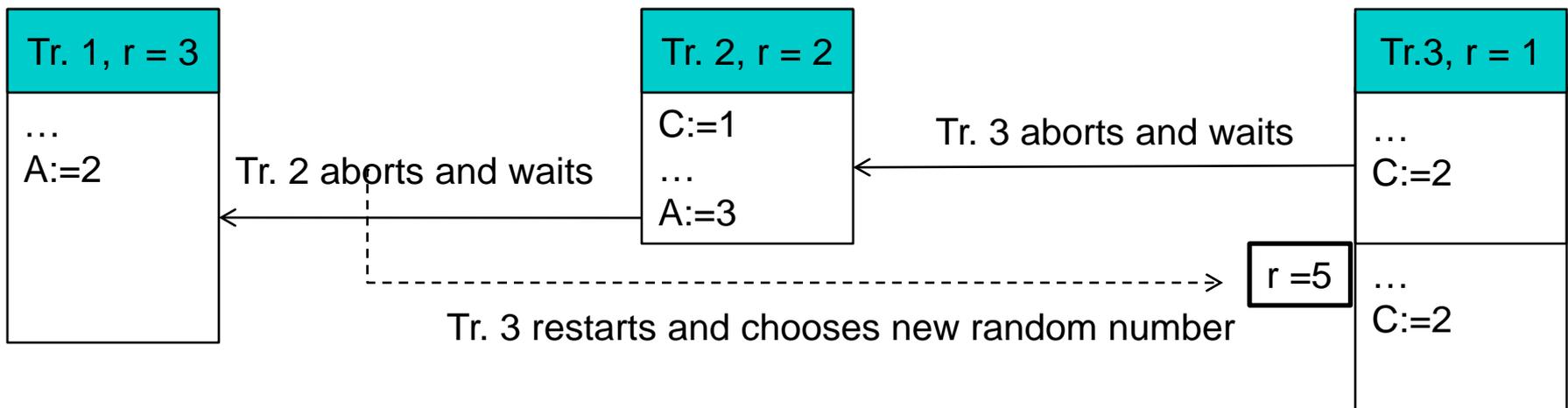


Proof continued...

- Transaction T_i (>1) aborts at time $n-i+1$, Trans. 1 commits
- After a restart Transaction T_i (>2) aborts after running for time $n-i+2$, Trans. 2 commits
- After the next restart Transaction T_i (>3) aborts after running for time $n-i+3$, Trans. 3 commits
- The time until transaction $i=n$ commits is $\sum_{i=1}^n (n-i) = \Omega(n^2)$
- Optimal:
 - Schedules all transaction T_i with even i then the rest
 - $O(n)$
- Competitive ratio: $\Omega(n)$

How about a randomized approach?

- Choose a random priority r from $[1, n]$ on startup
- Transaction A with larger or same random number wins conflict against B
 - B aborts and waits
 - Restart with a new random number as soon as A either commits or aborts



Analysis

- Assume:
 - (needed) resources are not modified
 - Longest transaction takes time t
 - Any transaction conflicts with at most d other transactions
- After time $2t$ any transaction can restart and draw a new random number
 - Execute for time $t-1$ and then aborts and wait for at most time t
- Probability highest rand. number: $1/d$
- Prob. random number unique: $(1 - 1/n)^d < (1 - 1/n)^n \approx 1/e$
- Choose $d \approx e \log n$ random numbers

and probability to commit is: $1 - (1 - \frac{1}{e \cdot d})^{e \cdot d \cdot \log n} \approx 1 - \frac{1}{e} = 1 - \frac{1}{n}$

Analysis continued and evaluation

- Time to choose $d e \log n$ random numbers is $O(t d \log n)$
- How good is the algorithm?
 - For the analysis of algorithm timestamp $d = 2, t = n$
 - Makespan of randomized CM: $O(n \log n)$ with 'high' probability
 - Deterministic timestamp: $O(n^2)$
 - Complexity measure
 - Originally: Dependent on number of resources
 - Now: Dependent on number of conflicts a transaction faces
 - Better?

Theory and practice

- For most benchmarks our randomized approach and a timestamp manager achieve comparable throughput
- In general, the quality of a CM varies very much across different benchmarks
 - A CM might be good for one benchmark but bad for another
- A strategy that is (often) good:
 - After a conflict do some kind of exponential randomized backoff
 - Reduces load on system, resolves livelocks

Exponential backoff

- Example: Polka manager
 - Approximate work: priority = number of accessed resources
 - In case of a conflict: If have higher priority abort the other, if have lower priority, then perform an exponential backoff
 - Say priority difference of the two transactions is r
- Algorithm:
 - For $i = 0..r$
 - If resource not locked then lock it
 - else wait random time span with mean 2^i
 - After r unsuccessful trials abort transaction with higher priority

Semester/master theses

- Check the homepage
 - www.dcg.ethz.ch/theses.html
- For TM: Currently, more practical theses
 - Programming, but challenging programming...
 - Focus improve speed
 - Speeding up programs (on multi-core systems)
 - Efficient Multicore Systems with Transactional Memory



That's it, have a nice vacation!

