



## Distributed Systems Part II

### Exercise Sheet 10

#### Quiz

### 1 Pop Quiz

- Is the following statement true: If  $3/4$  of the edges in a network each have a slack of at least 75% both in the old and new flows, it is always possible to perform a sequence of capacity-consistent updates from the old to the new flows?
- How can the central controller in SDNs decide in polynomial time if updating the single-destination forwarding rules of all nodes at once would create a loop somewhere?
- When the SDN controller wants to update prefix-based forwarding rules, how can you guarantee loop-free updates – if you are allowed to split up the forwarding rules?

#### Basic

### 2 Network Updates

Assume you have a network with  $n$  nodes and an extra node  $d$  as a destination. You want to migrate the network from an old set of forwarding rules to a new set of forwarding rules – without introducing loops in the process!

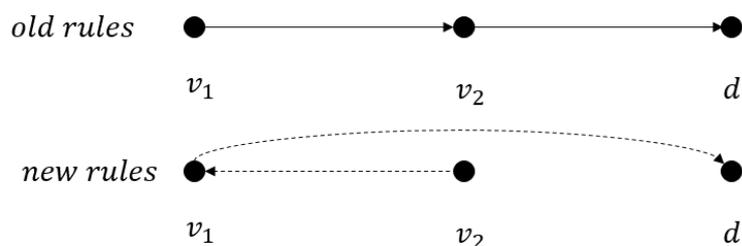


Figure 1: Simple example: In the old rules,  $v_1$  forwards to  $d$  via  $v_2$ , and  $v_2$  is directly connected to  $d$ . In the new rules,  $v_2$  forwards to  $d$  via  $v_1$ , and  $v_1$  is directly connected to  $d$ . The node  $v_2$  may not migrate in a first update step, because that would induce a potential loop between  $v_1$  and  $v_2$ !

- Construct an example graph with old and new rules that needs at least three update steps.
- You know from the lecture that you can always migrate at least one rule per step. What property does this rule have?

- c) Give a class of graphs with  $n$  nodes and a single destination with old and new rules that needs exactly  $n$  update steps to migrate without loops.
- d) Give all different ways to migrate the network in Figure 2 without introducing loops.

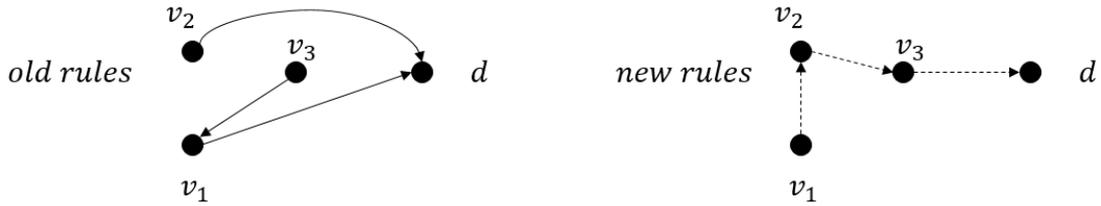


Figure 2: Another example for a set of old and new rules.

## Advanced

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### 3 Capacity-Consistent Updates

Consider the network in Figure 3 with four flows. These four flows shall be migrated to the placement in Figure 4, but with capacity-consistent updates.

- a) Why is it not possible to achieve this in one capacity-consistent update?
- b) If you would like to update only one flow to its final placement, for which flows could you do this in one capacity-consistent update?
- c) How many capacity-consistent updates do you need to move all flows to their desired placement?

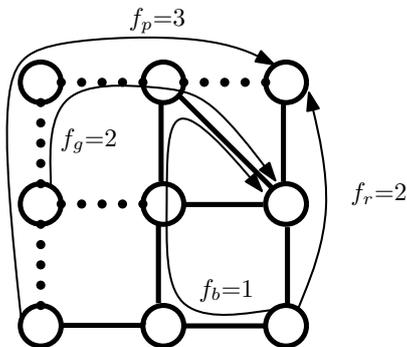


Figure 3: Initial old configuration.

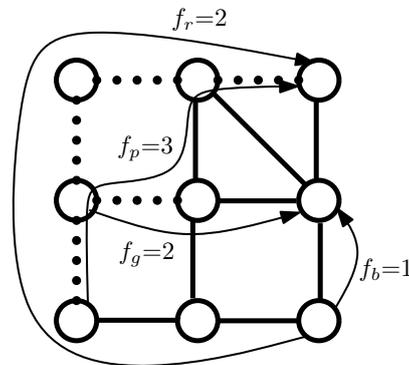


Figure 4: Desired new configuration.

The solid edges have a capacity of 3 in each direction, the dotted edges have a capacity of 5 in each direction. It holds that  $f_r = 2$ ,  $f_b = 1$ ,  $f_g = 2$  and  $f_p = 3$ .